T-1524-7 FIGURE 7. Adjustable Current Regulator V01-- DT V0-ADI VOUT

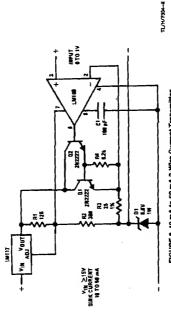


FIGURE 8, 10 mA to 50 mA 2-Wire Current Transmitter

RMS Converters and Their Applications

INTRODUCTION

A true RMS converter is a device which converts a signal (DC, AC, AC+DC) to its equivalent DC heating value. These devices are useful in fundamental measurements of virtually all wayeforms.

SOME BASICS ABOUT RMS CONVERTERS

The Root Mean Squered (RMS) value of a waveform is a hindamental measurement of that waveform; it is a measure A fundamental theory of Fourier Analysis states that any periodic function may be represented in a trigonometric seof the waveform's heating value when applied to a resistor I, What is the RMS Value of a Waveform?

ries. This series is sum of sinusoidal components having different frequencies and amplitudes. These components periodic function, the power content (also its mean-squared are all multiples of the fundamental frequency. Thus, for a value) in the period T is defined to be:

ues would be highly desirable.

<u>5</u> 1 < mean square value = $\frac{1}{T} \int_{-T/2}^{T/2} [U(t)]^2 dt = \frac{1}{T}$

where the Che are the complex Foundar coefficients of the form, then the mean square value represents the average power delivered by /(!) to a 10 resistor. Summing its discrete components, one can obtain the power content of the function. It is seen that if /(t) is a voltage or a current wavesignal. A graph of these components vs frequency is known

The RMS value is defined to be: as a power spectral density plot.

Thus, one can see that the RMS value is just the equare [/(t)]² of RMS = 1/T

Since the mean square value of a periodic function is the (without regard to their phases) it is seen that any signal dissipate the same amount of energy, over a period, in a sum of the mean aquare value of its discrete harmonics with the same mean equare value (thus RMS value) will root of the mean aquare value.

Whereas periodic signals may be completely described by ther amplitudes, phases, and frequencies, random signals are those where future behavior cannot be predicted. Random signals may only be described by quantities such as ue such as the RMS that is independent of time, then this the RMS value, power spectral density, and probability distribution. If for a random signal there exists a statistical valsignel is said to be stationary. The RMS value of any stationary zero mean random agnal is equal to the standard devisbon of the signal.

Vational Semiconductor Hybrid Special Products Application Note 180 John T. Lee

Whereas periodic signals have a discrete power density spectrum, random signals have a continuous spectrum. The RMS value of a random signal may be defined to be:

For a random signel, then, it is necessary to break the signal (t)2 ch HMS - VT Um 1 Ju

up into many narrow bands in order to investigate its power

Since the mean square value (hence RMS) measures the power content of a signal, it provides a universal scale of val. Besides periodic signals, phenomena such as acoustic noise, electrical noise, and mechanical vibration may be measurement. An RMS measurement will give the intensity characterized. It is seen that instruments that read RMS valof a random phenomenon when averaged over a time inter Why RMS Converters? Why Not Average Detect? spectral density.

This is done by taking the Mean Averaged Value (MAV) and only for measuring sinewaves. However, if the signal is not a ours sineways, this type of instrument could lead to great square wayes. Note that if one knew beforehand that the Until recently, due to the high cost of RMS converters, most AC voltmeters did not read the RMS value of a waverorm. multiphying by a factor of 1.11. This calibration is accurate arrors. For example, such meters would read about 11% ow on gaussian noise and about 11% high on symmetrical waveform to be measured consisted of symmetrical aquare his meter would hardly be useful for anything else. Also, instead, they were average reading and RMS calibrated veves the meter could be calibrated accordingly. However since many signals may change waveform during measure ment, it would be impossible to try to calibrate the meter

An example of a varying waveform would be the output of a change from a sinewave to a square wave; when the output nowever when the output is a square wave the mater would Another example would be the voltage from an SCR conierroresonant line voltage regulator. The waveform could a sinewaye the average type meter would read correctly read in error of as much as 11%.

trolled circuit. An everaging meter would read correctly only during 190° conduction angle; it would read in error of 51% tem during intermodulation testing. The true RMS value is ruscidal is to be measured, an RMS type meter should be Yet another example would be the output of an audio syszed readings between RMS and average detecting type meters, it is seen that whenever a waveform other than sinsensitive to the ratio of frequencies, while the average velue is highly sensitive to this ratio. Table I compares normalat 45" conduction angle.

4

ANG Detecting Type Meters

Waveform	lorm	RMS	AVG
Sine		1	1
	180	1	-
SCR Cond Angle	8	0.707	0.5
	45	0.301	0.15
Gassian Noise		-8	0.895
Zero Based	10% duty cycla	A1470	A/10
Pulse Train	1% duty cycle	A/10	A/100

6 = standerd deviation = RMS value

There are basically three methods of RMS measurements: III. What Kinds of RMS Converters Are There?

known voltaga or current into heat in a known value of 1. Thermal. This method is achieved by converting an unresistance.

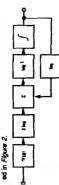
2. Direct Computing. From the definition of RMS,

RMS =
$$\sqrt{\frac{1}{T}} \int_0^T t(t)^2 dt$$

taking the square root. This method is ilkustrated in wa can see that the RMS value may be datermined by first squering the waveform, then averaging it, and then

T/W8747-1 *

ond one with the square root performed by feedback and the squaring done by log method. This method is illustratimpliest Computing. This scheme is similar to the sec-FIGURE 1. Direct Computing Type RMS Converter



TUH/8747-2 high dynamic range, and low cost. The LH0081, Netional Semiconductor's true RMS converter, is such e unit. Of the three methods mentioned above, the implicit Computing method is by far the most desirable—since e convert er of this type can achieve great accuracy, wide bandwidth FIGURE 2. Implicit Computing Type RIMS Converter

SPECIFICATIONS

Since this is not yet an ideal world, the performance of a An ideal RMS converter would have infinite crest factor response, infinite bandwidth, and no errors due to corwersion. prectical converter will be discussed.

espond to the entire spectrum of the measured signal; it should elso have adequate crest factor response and accuacy to meet the particular application. Thus, these are impractical converter should have sufficient bandwidth cortant characteristics of an PMS converter.

the time. The probability of a gaussian noise having a Creat Factor, Creat Factor is the peak signal value divided by the RMS value. In general, the higher the crest factor a signal has, the higher the conversion error will be for e converter. This is due to internal circuit limitations. However, most signals encountered in measurement do not have high crest factors. For example, sinewaves have a crest factor of 1.414; triangular waves have CF of 1.73; for an SCR output, the CF varies from 1,414 to 3 as power output varies from 100% to 10%. One of the few the crest factor of common noise is 3 or less for 99.7% of waveforms which has high crest factor is noise; however, crest factor greater than 4 is 0.01%.

A zero based pulse train is one of the rare waveforms which can have very high crest factors; such a pulse train with a 1% duty cycle will have a crest factor of ten. Using the high crest factor connection, the LH0091 will respond to signals with crest factor of 10 with typically no more than 0.2% error.

ary to define error as a sum of a fixed offset term and a justed and the edjusted total errors are specified; they are 2. Accuracy. The accuracy of a converter is in reality its conversion error. Error is the amount by which the actual DC output differs from the theoratical value. It is custompercent of reading term. For the LH0091, both the unad-20 mV ±0.5% and 0.5 mV ±0.05% respectively. Frequency Response. The frequency response of a computing type RMS converter has an upper and a lower bound; on the low frequency end, it depends on the size of averaging capacitor, on the high frequency end, it depends on internal circuitry. Since this type of converter uses an RC filter for averaging, the RC time constant is critical for low frequency response. The RC time constant should be much greeter (10 times or more) than the peried of the lowest frequency component of the signal. For the LH0091, the RC time constant is simply the product of a 10 kft resistor and the external capacitor. Low leakage capecitors should be chosen.

Frequency for Specified Adjusted Error. This is the frequency below which the output will maintain the adjustthe device will maintain the edjusted accuracy to 70 kHz, ed accuracy (specified for sinewaves). For the LH0091 typically, for a 7 Vrms input.

5. Frequency for 1% Additional Error. This is the frequency below which the device will have an additional error of less than 1% of the initial reading (midband). This is also specified for sinewaves. This frequency is typically 200 kHz for a 7 Vrms input with the LH0091.

RMS converters may be used in measurement of virtually any waveform. The examples below are only a few of the many Dossible apolications.

A. Spectrum Analysis

Spectrum analysis is useful in characterizing random phenomena, identifying sources of mechanical vibration and noise. It is also used in characterizing the energy content of s signal. The RMS converter may be used in such an appli-

were repeated many times (each time changing the center As shown in Figure 3, the signal is passed through a tunable bandpass fitter, and then it is read by the RMS converter. The output from the RMS converter represents the energy content in the narrow band of frequencies. If this procedure requancy of the filter) we would have the power spectral Jensity of the signal.

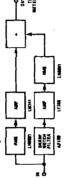


FIGURE 3, Application of the RMS Converter In Spectrum Analysis

J.H/8747-3

B. Total Harmonic Distortion Meter

A simple and low cost total % harmonic distortion meter is shown in Figure 4.



TL/H/8747-4 FIGURE 4. Total Distortion Meter

seen that the amplitude of the signal from which the fundamental has been rejected is divided by the amplituda of the composite signal; thus the output is a measure of total harmonic distortion.

C. Noise Meter

A complete notes meter is shown in Figure 5. Note that this meter will indicate the total noise within the frequency band of interest. However, if a tunable filter were added, one could plot the noise spectrum of the environment, thus being able to identify the sources of noise.

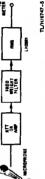


FIGURE 5. Noise Meter

Current Messuremen

raveforms is shown in Figure 8. Note that since the RMS converter is used, virtually any current waveform may be measured. Examples of such current waveforms are pulse A current meter capable of measuring complax current rain, SCR, and noise,

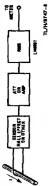


FIGURE 6. Current Meter E. DVM AC Interface

Another application of the RMS converter would be an AC nterface to a DVM. With such an interface, a DVM may be used to measure complex signals. Since most computing ype RMS converters have relatively low input impedance, a suffer should be added as shown in Figure 7.

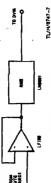


FIGURE 7. DVM AC Interface F. Random Vibration and Noise

RMS, power spectral density, and probability distribution of cal noise, may be described only by such quantities as Random phenomena, such as random vibration and electri-

bandwidth. It is seen that we can obtain a kind of spectral Ined to be the mean square value of the signal per unit density by dividing the RMS value (bend limited) by the The spectral density of a wide band random signal is desquare root of the noise bandwidth, where:

noise = E/√∆/ volts/Hz%

age in 1 Hz of bandwidth. Thus wideband electrical noise may be measured as shown in Figure 8. If the filter in Figure 8 is tunable, then it would be possible to plot the spectral The result can be interpreted as simply the RMS noise voftdensity of the signal.

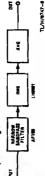


FIGURE 6. Measurement of Noise

For random mechanical vibrations, an accelerometer and a preamp are added to the cirucit. This is shown in Figure 9.

T_/H/6747-8 ¥ Access 4

FIGURE 9. Application of the RMS Converter

In Random Vibration

2

Vational Semiconductor Application Note 181

3-Terminal Regulator

s Adjustable

nal. About 50 µA is needed to bias the reference and this

A 1.2V reference voltage appears inserted between the current comes out of the adjustment terminal. In operation. he device acts as a 1.2V regulator. For higher output volt-

Until now, all of the 3-terminal power IC voltage regulators

NUTRODUCTION

have a fixed output voltage, in spite of this limitation, their sase of use, low cost, and full on-chip overload protection have generated wide acceptance. Now, with the introduction of the LM117, it is possible to use a single regulator for any output voltage from 1.2V to 37V at 1.5A. Selecting close-tolerance output voltage parts or designing discrete regulators for particular applications is no longer necessary since the output voltage can be adjusted. Further, only one egulator type need be stocked for a wide range of applicadons. Additionally, an adjustable regulator is more versatile,

non-inverting input of the op amp and the adjustment term

ages, a divider R1 and R2 is connected from the output to resistor A1 forces 5 mA of current to flow. This 5 mA then

arminal plus 1.2V, if the adjustment terminal is grounded pround as is shown in Figure 2. The 1.2V reference across

the output of the regulator is the voltage of the adjustment

lows through R2, increasing the voltage at the adjustment

erminal and therefore the output voltage. The output volt

ge is given by:

in addition to adjustability, the new regulator features performance a factor of 10 better than fixed output regulators.

ending itself to many applications not suitable for fixed our

out devices.

in conclusion, it has been found that the RMS converter is a G. Bail Bearing and Other Vibrational Failure Montto

resattle component. Applications range from complex cur-The examples cited in this note are but a few of the many ent waveform measurement to ball bearing failure monitor. A very interesting application of the RMS converter is in the nontioning of ball bearing and other vibrational failure. A fiscussion is given on the ball bearing, but the principle is applicable to any vibrational monitors.

ed by impact due to defects, the impact frequencies are usually much lower than the natural frequency of the outer bearing race. Thus the natural frequencies are brought to iffe. An example of this would be a bell of 200 Hz natural sponding plot of the oscillation would tend to exhibit 200 Hz It has been found" that a knowledge of bearing geometry is sufficient to enable the prediction of frequency of fault-induced vibration. There are natural frequency formulas relating directly to bearing geometry. When vibration is generalfrequency being struck several times a second: the comeand ignore the striking frequency.

Heldhouse, Techniques for identifying Sources of Nosie &

Vibration, Spectral Dynamics Corp, San Diego, CA, 1969. Hsu, Hwei P., Fourier Analysis, Simon & Schuster, 1970. Asgrab and Blomquest, The Measurement of Time-Varying

Phenomena, Wiley, 1971.

lieke and Mitchell, Vibration and Acoustic Measurement

Handbook, Spartan Books, 1872.

possible applications.

REFERENCES

It is possible to monitor the fundamental frequency of the outer race. However, it may be necessary to monitor a band of frequencies, depending on the application, if an RMS reading is taken to detect the normal operation level of a may now be set. Thereafter, if the RMS level exceeds the a function is shown in Figure 10. If the bandpass fifter is new bearing (after a few hours of operation) a safe level set safe level, an alarm could be triggered. A circuit for such unable, diagnosis of the failure can be performed.

'Detection of Ball Bearing Malfunction," Instrument and Pennington, Dale, Basic Shock and Vibration Theory, En-Niver, Electrical Measurement & Instrumentation, McGraw Jewco Corp., San Juan Capistrano, CA, 1966. 4ill, 1971.

BALL BEARING

200 1.H8044

(HORE)

Alendbook, Blake & Mitchell, Spersen Books, 1972 and "Detection of Ball Bearing Mathurction," Inst. & Control, Dec.

"See Vibration & Accusatic Measurament 1970.

FIGURE 10. Bell Bearing Falture Monitor

COMPARE

Control Systems, Dec. 1970.

current changes so that is contributes virtually no error to dynamic regulation. Of course, programming currents other then 5 mA can be used depending upon the application.

cuitry is improved, increasing reliability.

Line regulation is 0.01 %/V and load regulation is only 0.1%. it is packaged in standard TO-3 transistor packages so that neet sinking is easily accomplished with standard heat sinks. Besides higher performence, overfoad protection cir-

The 50 µA biasing current is small compared to 5 mA and it is extremely well regulated against line voltage or load

 $V_{OUT} = 1.2V \left(1 + \frac{R2}{R1}\right) + 50 \mu A R2$

causes only a small error in actual output voltages. Further,

ADJUSTABLE REGULATOR CIRCUIT

circuit. An op amp, connected as a unity gain buffer, drives a power Darlington. The op amp and biasing circuitry for the The adjustment of a 3-terminal regulator can be easity undenstood by referring to Figure 1, which shows a functional egulator are arranged so that all the quiescent current is belivered to the regulator output (rather than ground) elimi-

nating the need for a separate ground terminal. Further, all the circutty is designed to operate over the 2V to 40V Input to output differential of the regulator.

T/H/8747-10

grade parts requires a minimum load of 10 mA. The miniof standard regulators.

cient however, worst case minimum load for commercial

a impaired. Usually the 5 mA programming current is suffi-

Since the regulator is floating, all the quiescent current must se absorbed by the load. With too light of a load, regulation mum load current can be compared to the quiescent current

5 11+ ξ. ||-

¹G DVIESCENT CURNENT

3

124

·公司等的 (基础等的最高和一种) 人名德西德特法布姆姆维维特特的人

1 Sold tembers

Clacherges C1 if output is shorted to ground

T-1522-2

FIGURE 2. Adjustable Regulator with

Improved Ripple Rejection

TVW1532-1

FIGURE 1, Functional Schematic of the LM117

462.13.5

AD JUSTIMENT

52

ęş

The op amp precision rectifier circuits have greatly eased sure millivolt AC signal with a DC meter with better than 1% accuracy, inaccuracy due to diode tum-on and nonlinearity is eliminated, and precise rectification of low level signals is the problems of AC to DC conversion. It is possible to mea-INTRODUCTION

Once the signal is rectified, it is normally littered to obtain a smooth DC output. The output is proportional to the everage value of the AC input signal, rather than the root mean equare. With known input waveforms auch as a sine, trianple, or equare; this is adequate ence there is a known prowhen the waveform is complex or unknown, a direct readout portionality between rms and average values. However of the rms value is desirable.

The circuit shown will provide a DC output equal to the rms value of the input. Accuracy is typically 2% for a 20 Vp-p

input signal from 50 Hz to 100 kHz, although it's usable to about 500 kHz. The lower frequency is limited by the size of the filter capacitor. Further, since the input is DC coupled, it can provide the true rms equivalent of a DC and AC signal. Basically, the circuit is a precision absolute value circuit connected to a one-quadrant multiplier/divider. Amplifier A1 is the absolute value amplifier and provides a positive input current to amplifiers A2 and A4 independent of signal polari-

by. If the input signal is positive, A1's output is clamped at -0.6V, D2 is reverse biased, and no signal flows through R5 and R6. Positive signal current flows through R1 and R2 into the summing junctions of A2 and A4. When the input is output is taken from D2). This is summed through R5 and negative, an inverted signal appears at the output of A1 R8 with the input signal from R1 and R2. Twice the current flows through R5 and R6 and the net input to A2 and A4 is

Amplifiers A2 through A5 with transistors Q1 through Q4 form a log multiplier/divider. Since the currents into the op amps are negligible, all the input currents flow through the logging transistors. Assuming the transistors to be matched, the V_{ba} of Q4 is:

The V_{be}'s of these transistors are logarithmically proportion- $V_{be} (G4) = V_{be} (G1) + V_{be} (G3) - V_{be} (G2)$

(23) 601 - (23) 601 + (23) 501 - (23) 501 at to their collector currents so

0 to = 10100

Since I_{C1} adual I_{C3} and is proportional to the input, the square of the input signal is generated. The aquare of the input appears as the collector current of Q4. Averaging is done by C4, giving a mean square output. The filtered transistors Q1-Q4

Due to mismatches in transistors, it is necessary to calibrate son where the divisor is proportional to the output signal for output of Q4 is fed back to Q2 to perform continuous divia true root mean aquare output.

is adjusted for a 10V DC output. The adjustment of R10 changes the gain of the multiplier by adding or subtracting into ampirifier A2. A 10V DC input signal is applied, and R10 voitage from the log voltages generated by the transistors. the circuit. This is accomplished by feeding a small offser Therefore, both the resistor inaccuracies and V_{be} mismatch es are corrected.

Since dual transistors are common, good results can be oblained if Q1, Q2 and Q3, Q4 are paired. They should be mounted in close proximity or on a common heat sink, if possible. As a final note, it is necessary to bypass all op matched, have high beta, and be at the same temperature. For best results, transistors Q1 through Q4 should antos with 0.1 µF disc capacitors. where Ic1, Ic2, Ic3, and Ic4 are the collector currents of

è

Note 2: All resistors are 1% unless otherwise specified. Note 2: All clodes are 1N914. Note 4: Supply voltage ±15V.

Note 1: All operational emplifiers are LM118.

TJH/8474-1

139